

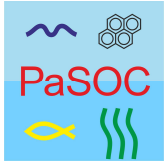
# Sampler-water exchange of polar compounds. A mechanistic approach. (An invitation)

Kees Booij



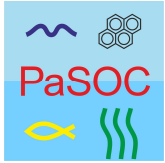
## Summary

- The issue for samplers of polar compounds
  - calibration parameters show a large scatter
    - any number goes
    - validity is assessed by outlier tests and field validation
  - calibrating for all compounds is an insurmountable task
- Strengthening our mechanistic understanding may help
  - Design calibration experiments within a mechanistic framework
  - Play around with sampler design
  - Interpret  $R_s$  in terms of rate limiting steps

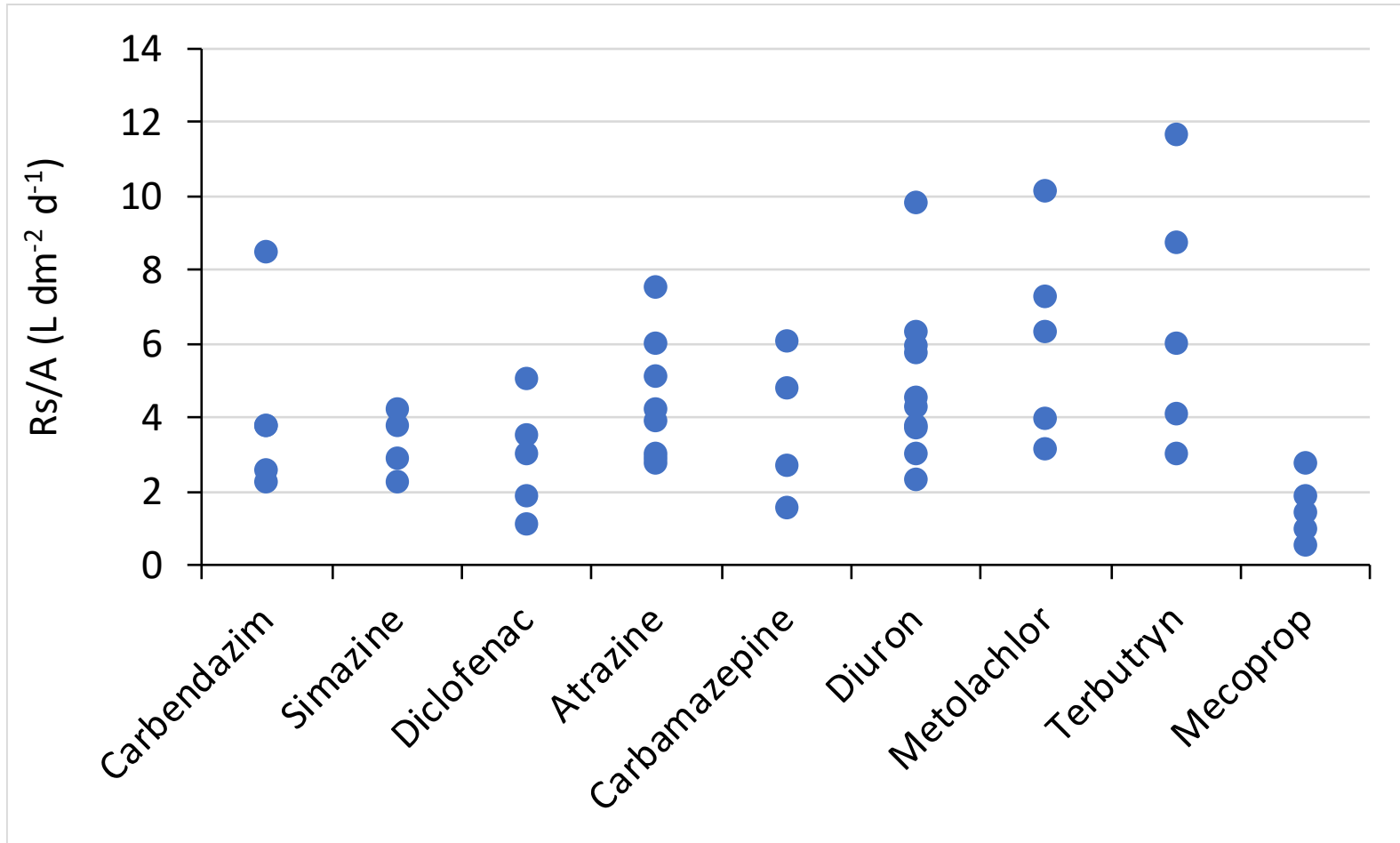


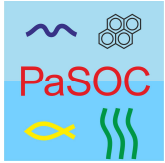
## Scatter in calibration data. Example for Chemcatchers

- Chemcatchers with SDB-RPS sorbent
- with and without membrane:  $n > 10$
- $R_s/A$  (areas 0.126, 0.159, 0.35 dm<sup>2</sup>)
- basically from two labs
- years 2005 - 2019

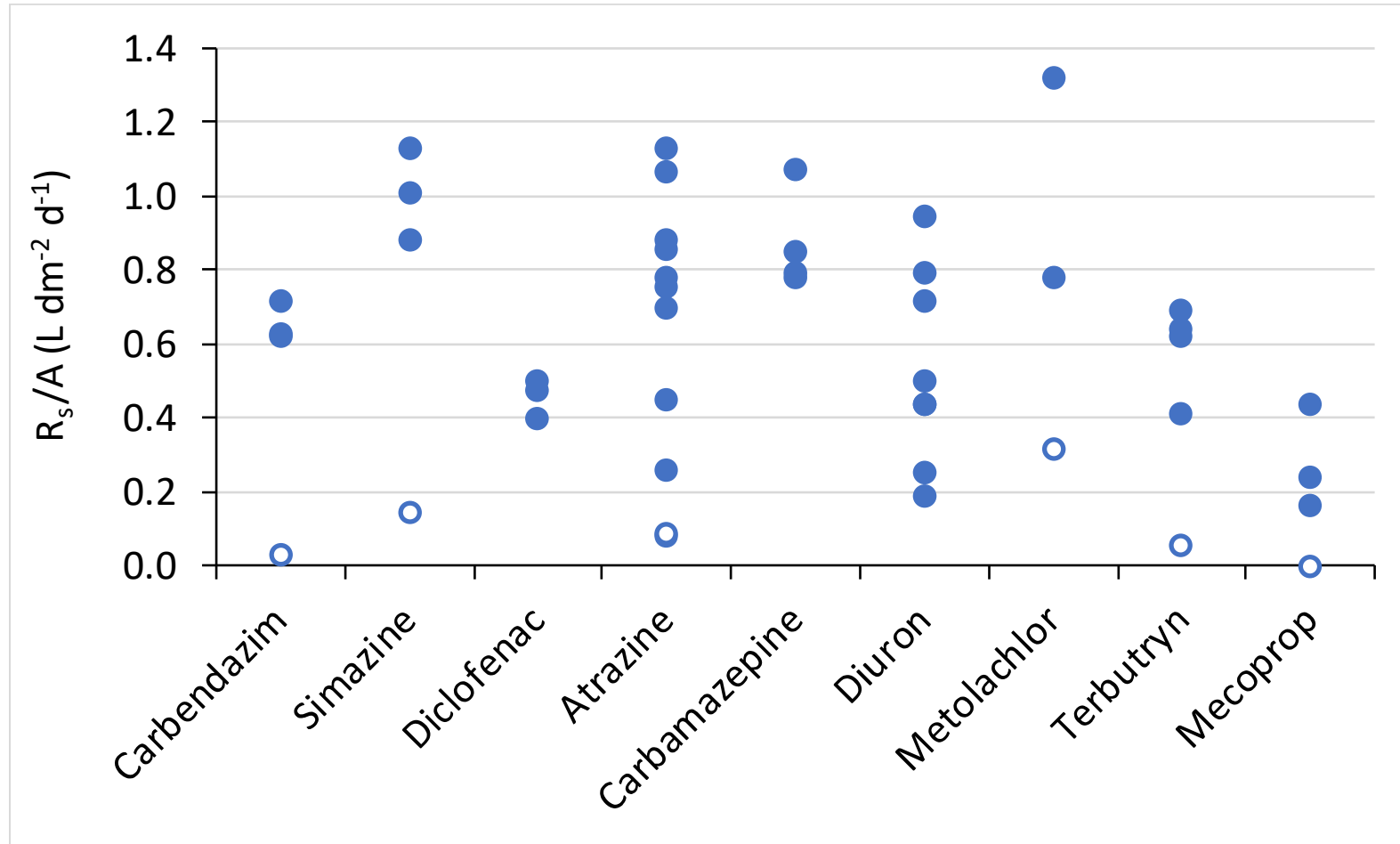


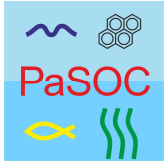
# Chemcatchers without membrane



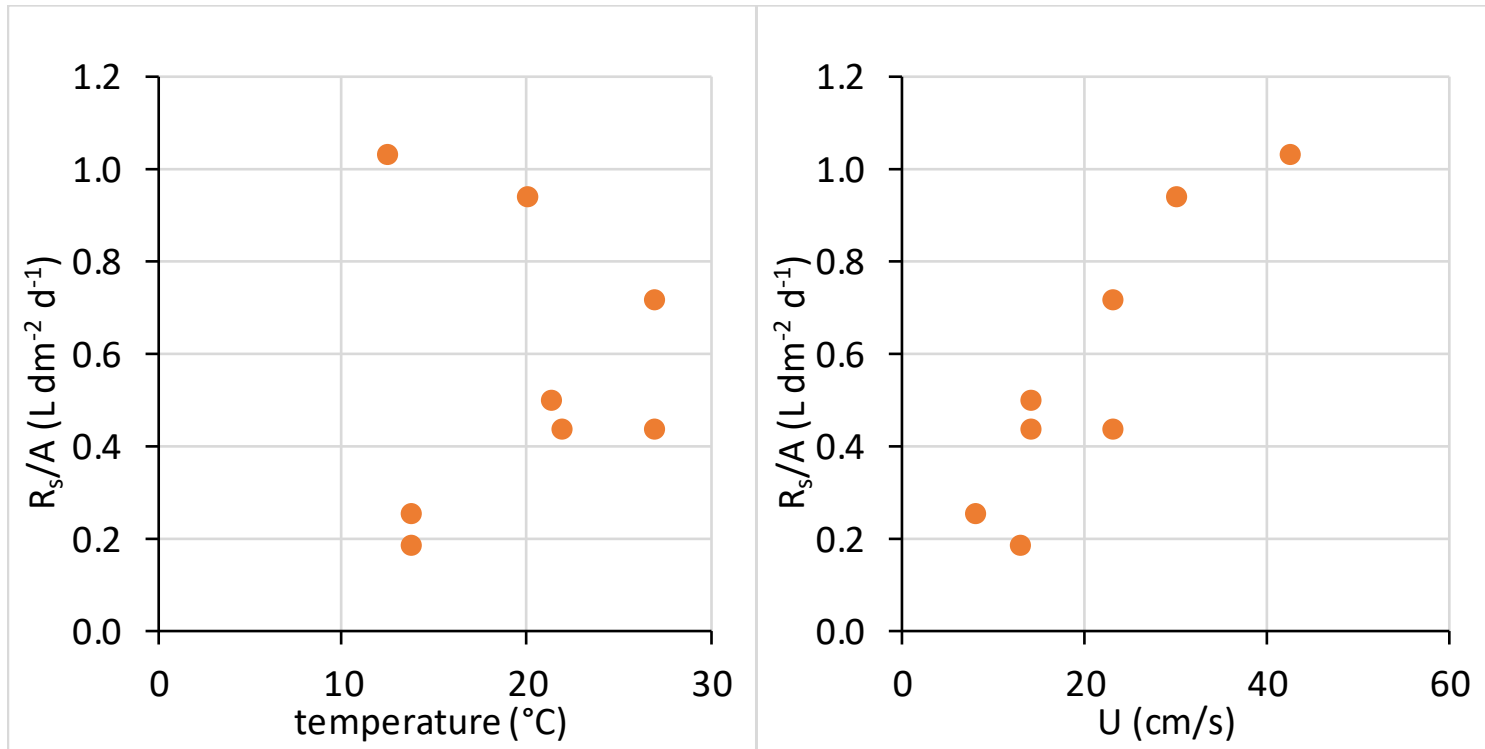


# Chemcatchers with PES membrane





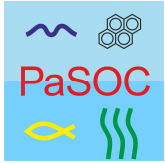
# Scatter maybe related to temperature and flow? Diuron (Chemcatcher with membrane)



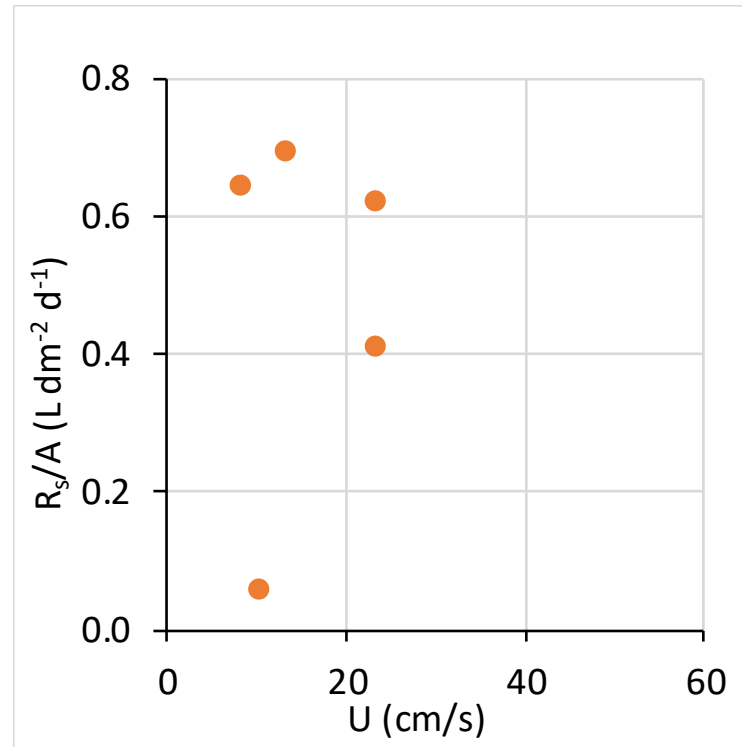
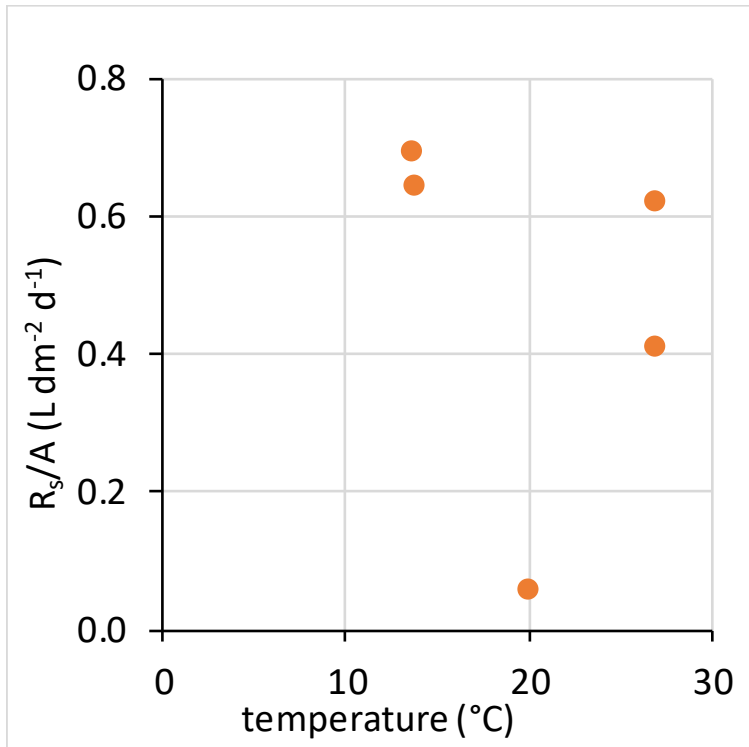
Take  $R_s$  from regression equation?

Take the median?

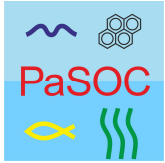
Hard to decide based on statistical considerations



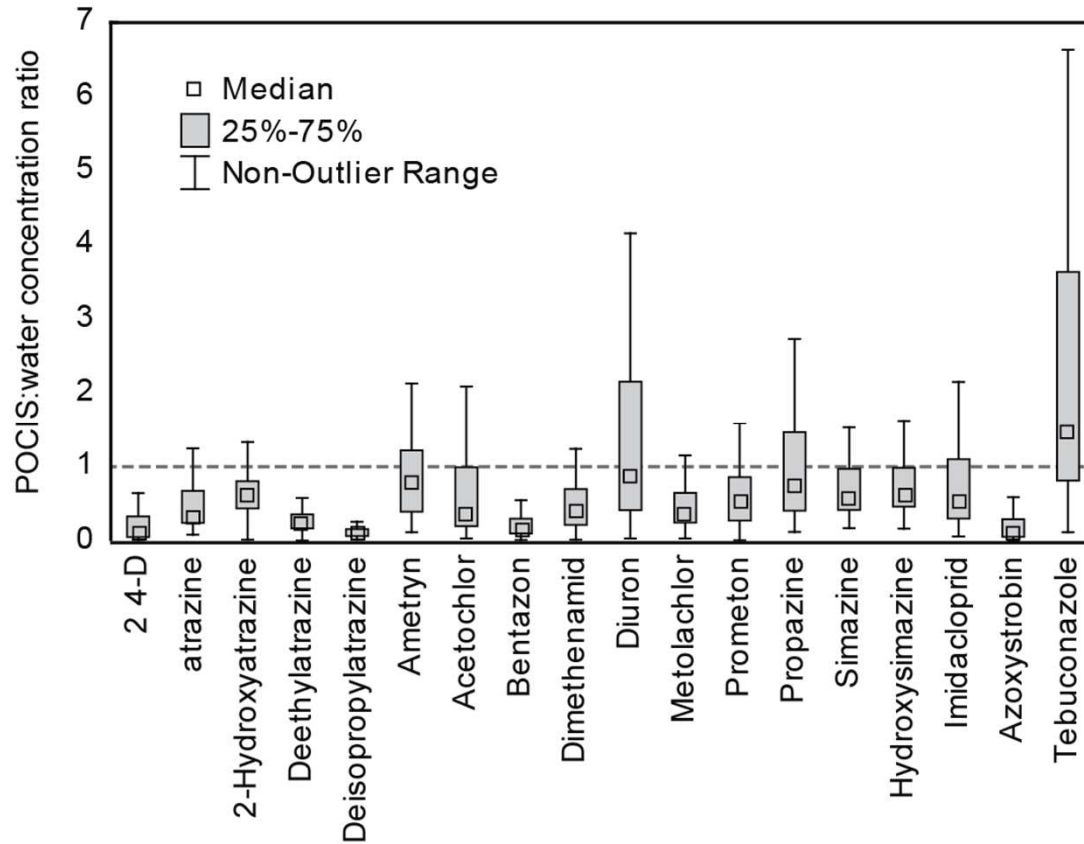
## Scatter maybe related to temperature and flow? Terbutryn (Chemcatcher with PES membrane)



Hard to decide based on statistical considerations  
And for most compounds you have less values (1 or 2)



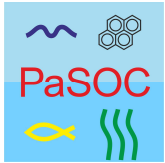
# Passive vs. active sampling



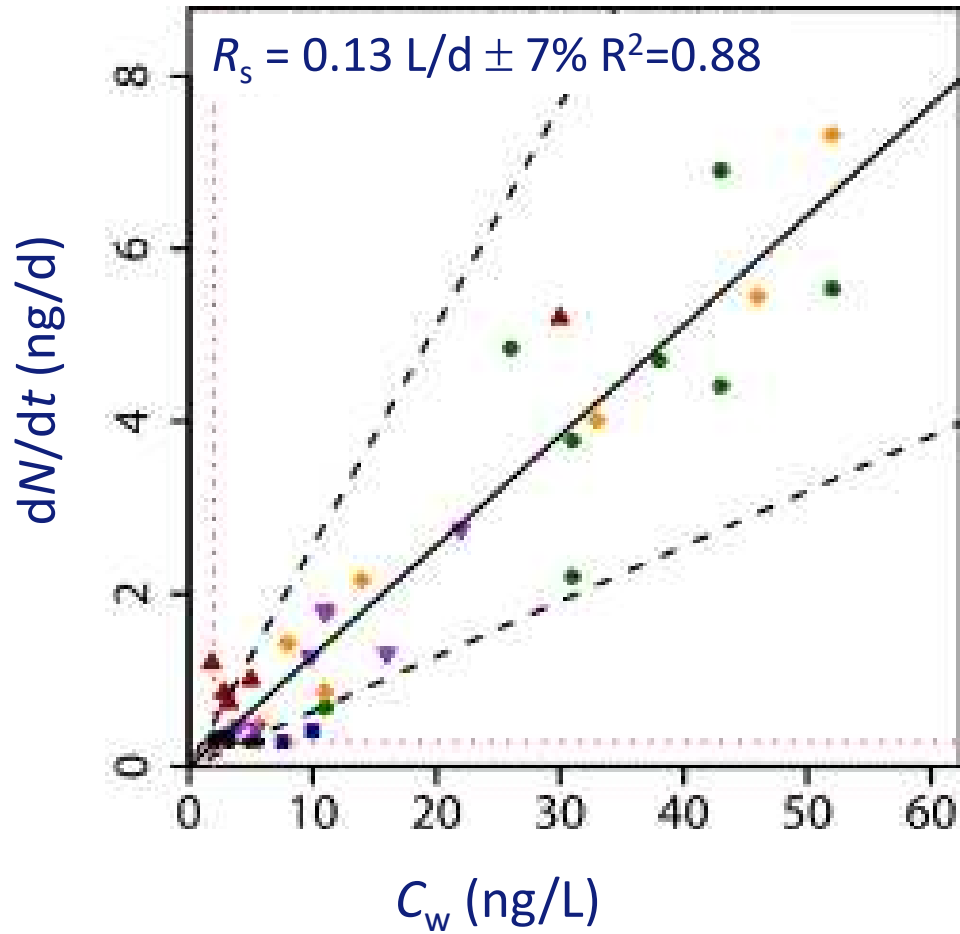
Median passive/active: 0.1 to 1.5

that is an order of magnitude





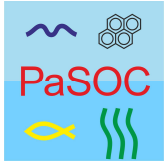
## Do field calibration?



diuron  $R_s/A$

Five Swiss rivers : 1.0 L/(dm<sup>2</sup> d)

Seven lab calibrations : 0.2 to 0.9 L/(dm<sup>2</sup> d)



# Series resistance model

$$\frac{1}{k_o} = \frac{1}{k_w} + \frac{d_m}{D_m K'_{mw}} + \frac{\delta_s}{D_s K'_{sw}}$$

$$\frac{1}{R_s} = \frac{1}{R_{s,w}} + \left( \frac{1}{R_{s,m}} + \frac{1}{R_{s,s}} \right)$$

$\swarrow$   
 $\frac{1}{R_{s,max}}$

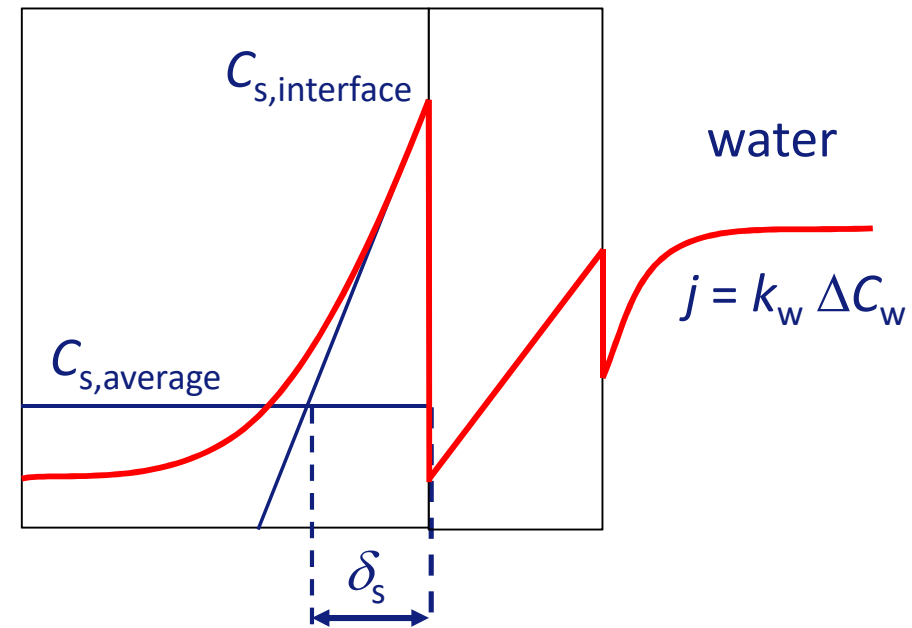
$$R_s = k_o A$$

sorbent

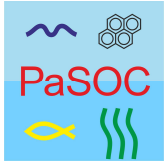
$$j = k_s \Delta C_s$$

membrane

$$j = k_m \Delta C_m$$



$$\delta_s = \text{SomeConstant} \times d_s$$



## Limiting $R_s/A$ for WBL control and membrane control

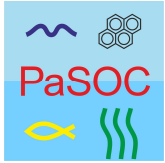
Full WBL control: 
$$\frac{k_w L}{D_w} = 0.664 \text{ Re}^{1/2} \text{ Sc}^{1/3} \quad \text{Re} = \frac{UL}{\nu} \quad \text{Sc} = \frac{\nu}{D_w}$$

$$\frac{R_{s,w} L}{AD_w} = 0.664 \text{ Re}^{1/2} \text{ Sc}^{1/3}$$

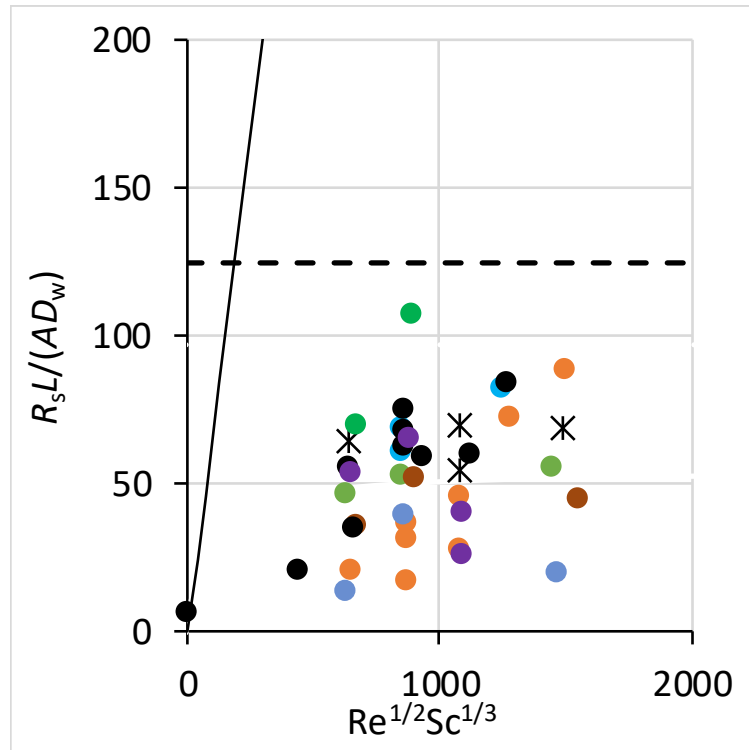
Full membrane control  
(transport through pore water only)

$$\frac{R_{s,m}}{A} = \frac{\phi D_w}{\tau_{w,m}^2 d_m}$$

$$\frac{R_{s,m} L}{AD_w} = \frac{\phi L}{\tau_{w,m}^2 d_m}$$



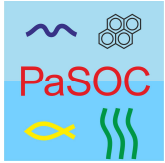
# Chemcatchers with membrane: some degree of sorbent control:



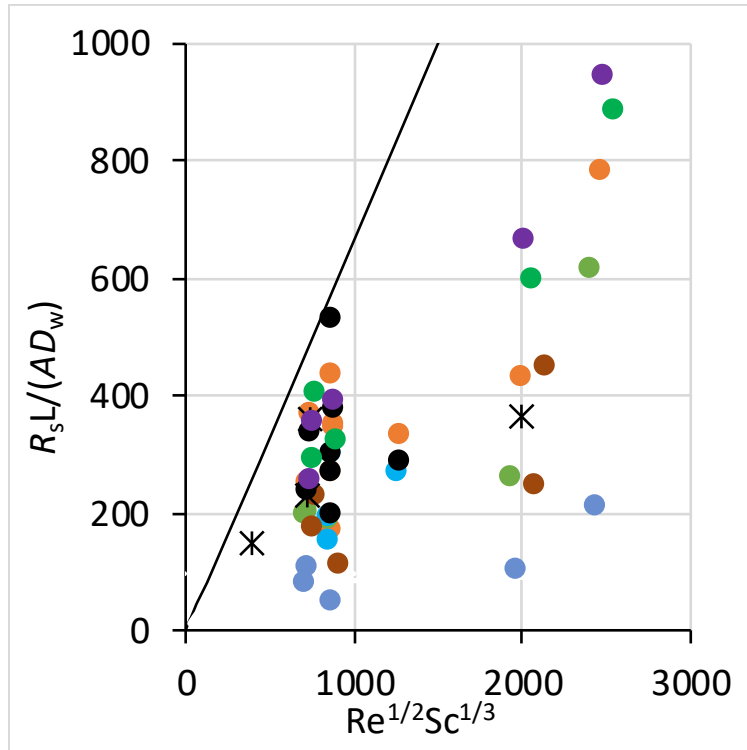
— WBL control  
- - - membrane control

- Diuron
- Simazine
- atrazine
- Metolachlor
- Mecoprop
- Carbendazim
- Diclofenac
- ✱ carbamazepine
- Terbutryn

WBL and membrane allow faster kinetics



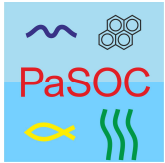
# Chemcatchers without membrane: Appreciable degree of sorbent control



— WBL control

- Diuron
- Simazine
- atrazine
- Metolachlor
- Mecoprop
- Carbendazim
- Diclofenac
- ✕ carbamazepine
- Terbutryn

WBL allows faster kinetics



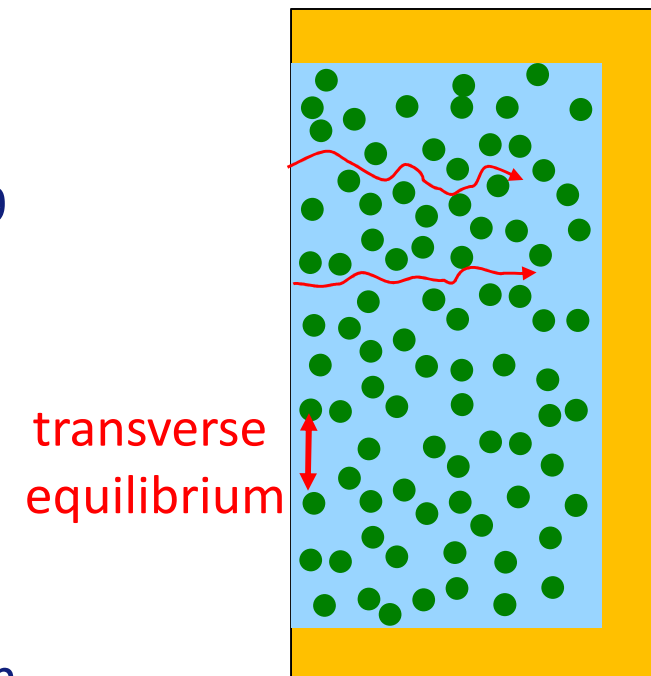
## Intermezzo: Sorbent resistance models are nasty Processes not always well understood

Solutions exist if sorbent - pore water equilibrium can be assumed

- From polymers-water exchange, partial sorbent/WBL control
  - Crank, 1975. The Mathematics of Diffusion.
  - Tcaciuc et al., 2015. EnvironToxicolChem 34(12): 2739-2749
- Numerical
  - Endo, Matsuura, Vermeirssen, 2019. EnvironSciTechnol 53: 1482-1489

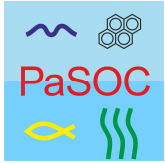
$$D_s = \frac{\phi D_w}{\tau_{w,s}^2 [\phi + (1 - \phi) \rho_s K_{sw}]}$$

- Sorbent resistance is time dependent.  $R_s$  concept breaks down.



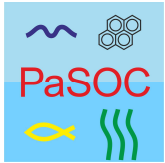
transverse  
equilibrium

longitudinal  
disequilibrium



## Back to WBL and membrane

- $k_w A$  sets an upper limit to  $R_s$  (WBL controlled kinetics)
- $\frac{\phi D_w}{\tau_{w,m}^2 d_m} A$  sets an upper limit to  $R_s$  (membrane controlled kinetics)
- Both can be measured with mass transfer sensors (alabaster or otherwise)
  - with membrane :  $\frac{1}{k_{o,1} A} = \frac{1}{k_w A} + \frac{\tau_{w,s}^2 d_m}{\phi D_w A}$
  - without membrane :  $\frac{1}{k_{o,2} A} = \frac{1}{k_w A}$



# Experimental: calibrate under controlled $k_w$ conditions

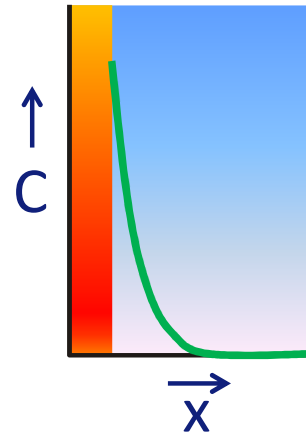
Measure  $k_w$  with

- alabaster dissolution rates
- benzoic acid dissolution rates
- PRC dissipation in LDPE or silicone
- limiting currents (electrochemical)

$$\underbrace{\frac{1}{R_s / A}} = \underbrace{\frac{1}{k_w}} + \underbrace{\frac{d_m}{D_m K'_{mw}} + \frac{\delta_s}{D_s K'_{sw}}}$$

experi- mental	flow dependent	compound/sampler dependent
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$$\frac{1}{R_s} = \frac{1}{R_{s,w}} + \frac{1}{R_{s,max}}$$

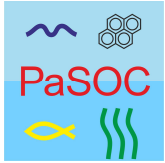


$$\frac{dN}{dt} = k_w A (C_w^* - C_w)$$

$k_w A \approx R_s ? \Rightarrow$  full WBL control

$k_w A \gg R_s ? \Rightarrow$  no flow effects





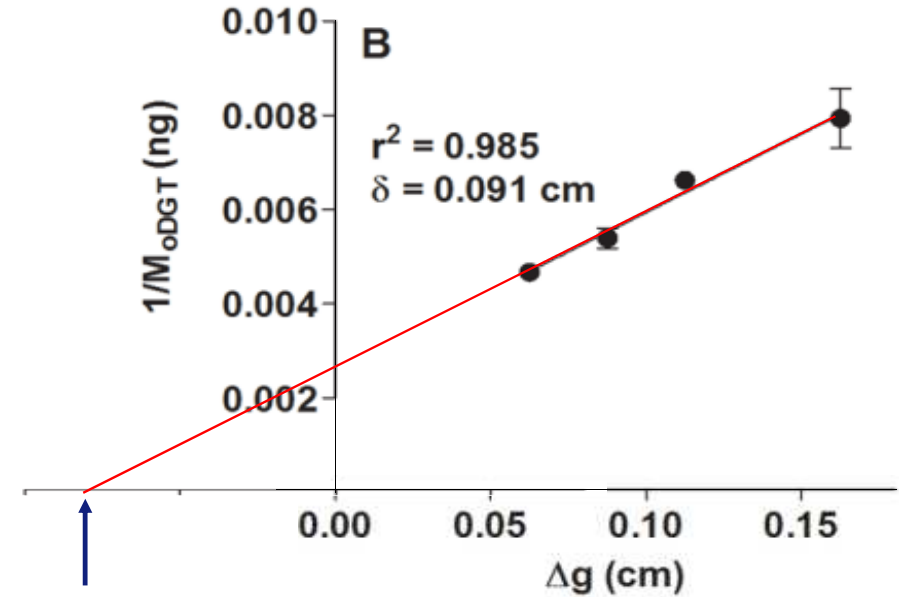
# Experimental: manipulate membrane thickness

$1/R_s$  vs. number of membranes ( $n = 0, 1, 2, \dots$ )

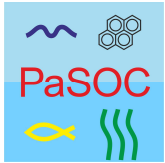
$$\underbrace{\frac{1}{R_s / A}}_{\text{experimental}} = \underbrace{\frac{1}{k_w} + \frac{\delta_s}{D_s K'_{sw}}}_{\text{intercept}} + n \underbrace{\frac{d_m}{D_m K'_{mw}}}_{\text{slope}}$$

$$M_{ODGT} = C_w R_s t$$

$$M_{ODGT} \sim R_s$$



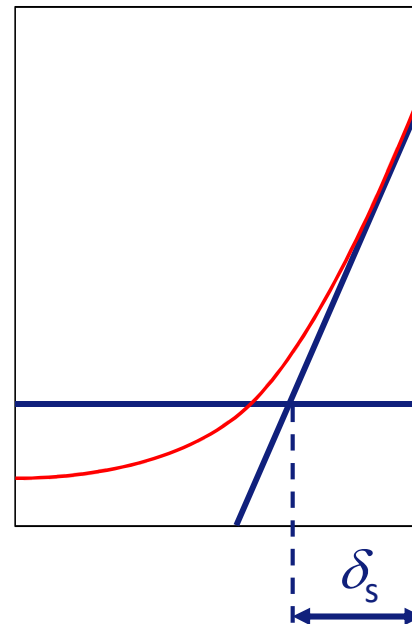
0.075 cm = 750  $\mu\text{m}$



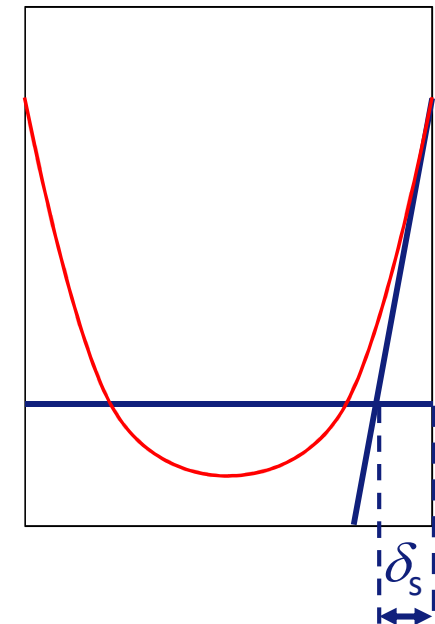
# Experimental: manipulate sorbent thickness

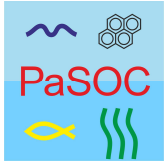
sides exposed	one	two
compound	$R_s$ (L/d)	$R_s$ (L/d)
tebuthiuron	0.48	1.53
hexazinone	0.48	1.57
simazine	0.46	1.48
atrazine	0.68	1.78
diuron	0.59	1.58
amethryn	0.75	1.38

one side exposed



two sides exposed





## Invitation

- Put experimental  $R_s$  into perspective

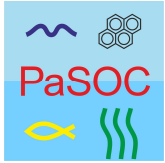
- Report  $R_s$  together with measured  $k_w$

- Characterise the membrane with measured  $\frac{\tau_{w,s}^2 d_m}{\phi}$

- Establish relationship between  $k_w$ ,  $U$ , temperature for your sampler in the field

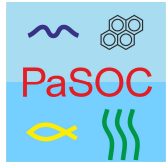
$$\text{POCIS inside canister : } \frac{k_w L}{D_w} = 0.21 \text{ Re}^{1/2} \text{ Sc}^{1/3} ?$$

$$\text{POCIS outside canister : } \frac{k_w L}{D_w} = 0.41 \text{ Re}^{1/2} \text{ Sc}^{1/3} ?$$



## Summary

- Large between-study variability in  $R_s$ 
  - Analytical variability (experimental variability?) may be an issue
- Framework for interpreting measured  $R_s$  is needed (rate control by WBL/membrane/sorbent)
  - Easily done for WBL and membrane controlled kinetics
  - More challenging for sorbent controlled kinetics
  - $R_s$  measurement under varying  $k_w$ , membrane thickness, sorbent thickness may yield very valuable insights.
- I am happy to support



Thank you for listening.  
Happy to discuss further.